

Fall 2000
Math 4305
A. D. Andrew

Monday	Tuesday	Wednesday	Thursday	Friday
21 AUG Introduction Ch 1. Elimination	22	23 Ch 1. Elimination, LU factorization	24	25 Ch 1. Elimination, LU factorization
28 Ch 2. Vector Spaces, linear transformations	29	30 Ch 2. Vector Spaces, linear transformations	31	1 Ch 2. Vector Spaces, linear transformations
4 SEP HOLIDAY	5	6 Ch 2. Vector Spaces, linear transformations	7	8 Ch 2. Vector Spaces, linear transformations
11 Ch 3. Orthogonality	12	13 Ch 3. Orthogonality	14	15 Ch 3. Orthogonality
18 Ch 3. Orthogonality	19	20 Ch 3. Orthogonality	21	22 Ch 4. Determinants
25 HOUR TEST	26	27 Ch 4. Determinants	28	29 DROP DAY Ch 5. Eigenvalues, Eigenvectors
2 OCT Ch 5. Eigenvalues, Eigenvectors	3	4 Ch 5. Eigenvalues, Eigenvectors	5	6 Ch 5. Eigenvalues, Eigenvectors
9 Ch 5. Eigenvalues, Eigenvectors	10	11 Ch 5. Eigenvalues, Eigenvectors	12	13 Ch 5. Eigenvalues, Eigenvectors
16 Singular Value Decomposition and applications	17	18 Cayley-Hamilton	19	20 Singular Value Decomposition and applications
23 HOLIDAY	24 HOLIDAY	25 Applications of Cayley-Hamilton and SVD	26	27 Applications of Cayley-Hamilton and SVD
30 HOUR TEST	31	1 Discuss Test Ch 6. Positive Definite Matrices	2	3 Ch. 6. Positive definite Matrices
6 NOV Ch. 6. Positive definite Matrices	7	8 Ch. 6. Positive definite Matrices	9	10 Ch 7 Norm, Condition number
13 Ch 7 Iterative methods	14	15 Ch. 7 Ideas from Analysis	16	17 COMPUTER PROJECT DUE Ideas from Analysis

20 Perron Frobenius theory of positive matrices	21	22 Perron Frobenius theory of positive matrices	23 HOLIDAY	24 HOLIDAY
27 Perron Frobenius theory of positive matrices	28	29 HOUR TEST	30	1 Perron Frobenius theory of positive matrices
4 DEC Perron Frobenius theory of positive matrices	5	6 Review	7	8 Review
11 EXAM WEEK	12	13	14	15